Ist SEMESTER

M.Tech (SPDD-ECE)

Supplementary Examination

Feb 2019

EC-521 Advanced DSP

Time: 3Hrs

Maximum Marks: 100

| | a | The output signal of upsampler system is to be passed through Low Pass Filters. Is the statement true? If true, why? | 4 |
|---|---|---|----|
| | b | Consider the sequences i $x_1(n) = 3\delta(n+1) - 2\delta(n) + \delta(n-1) + 4\delta(n-2)$ | 6 |
| | | ii $x_2(n) = \delta(n+2) - \delta(n) + \delta(n-2)$ iii $h_1(n) = 2\delta(n-1) + 5\delta(n-2) + 3\delta(n-3)$ iv $h_2(n) = \delta(n) + \delta(n-1)$ | |
| | | Determine the following sequences obtained by linear convolution of a pair of the above sequences | |
| | | $y_1(n) = x_1(n) \circledast h_1(n)$ $y_2(n) = x_2(n) \circledast h_2(n)$ | |
| 2 | a | The impulse response of a LTI system is $h(n) = \{1,2,1,-2\}$. Find response of the system for the input $x(n) = \{1,3,2,1\}$ | 5 |
| | b | Find the inverse Fourier Transform of first order recursive filter $H(\omega) = (1-ae^{-j\omega})^{-1}$ | 5 |
| 3 | | Compute the DFT of the 3-point sequence $x(n) = \{2,1,2\}$. Using the same sequence compute 6-point DFT and compare two DFTs | 10 |
| 4 | a | Let $x(n) = \{A,2,3,4,5,6,7,B\}$. If $X(0) = 20$ and $X(4) = 0$ find A and B | 5 |
| | b | Consider the length-6 sequence defined for $0 \le n < 6$. $x(n) = \{1,-2,3,0,-1,1\}$ | |
| | | with a 8-point DFT X(k). Evaluate the following functions of X(k) without computing DFT | 5 |
| | | i. X(0) ii. X(3) | |
| | | iii. $\sum_{k=0}^{5} X(K)$ | |
| | | iv. $\sum_{k=0}^{5} X(k) ^2$ | |

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| b Show that ideal filters are not realizable. How can we improve the characteristics of a simple LPF near to characteristics of ideal filter | a Show that the 3DB frequency of Low Pass and High pass IIR fifter is same. Assume first order LPF and HPF | 3) $+ 350$ (n-4) $+ 360$ (n-5) $+ 370$ (n-5). For what value of the impulse response samples will its frequency response H ($e^{J\omega}$) have a linear phase | | samples will its frequency response H $(e^{j\omega})$ have a zero phase by A non causal LTI FIR discrete Time system is characterized by an | a A non causal LTI FIR discrete Time system is characterized by an impulse response $h(n) = a_1\delta(n-2) + a_2\delta(n-1) + a_3\delta(n) + a_4\delta(n+1) + a_4\delta(n+2)$. For what value of the impulse response | ii. $\frac{z^2+z+2}{z^3-2z^2+3z+4}$, ROC $ z < 1$ | i. $\frac{z^2+2z}{z^3+3z^2+4z+1}$; ROC z >1 | Find inverse Z Transform of | | ii. $x(n) = u(-n-2)$ | | | Using properties of Z Transform find the Z-Transform of the | ii. $y(n) + 0.5 y(n-1) = 2 u(n)$ with initial condition $y[-1] = 2$ | | i. $y[n] + 2y[n-1] = (n+1)$ with initial condition $y[-1] = 1$ and $y[-1] = 0$ | $x_1(n) = \{1,2,1,2\}$ and $x_2(n) = \{4,3,2,1\}$ Determine the total solution for $n \ge 0$ of the difference equation | | Find the circular convolution of the following sequences using DFT |
|---|--|--|---|---|--|---|---|-----------------------------|--|----------------------|---|---|---|---|---|--|--|------------------------------|---|
| v | 5 | | 5 | | v | | 10 | | | | | 10 | | | C | | S | 10 | |
| | | | | | | | | | | END | $X[n] = Cos\left(\frac{n}{N}\right) 0 \le n \le N-1$ | b Compute the energy of length N sequence | summable sequence $x[n]$, rrove the following result $\sum_{-\infty}^{\infty} x^2 [n] = \sum_{-\infty}^{\infty} xev[n]^2 + \sum_{-\infty}^{\infty} xod[n]^2$ | 12 a Let $x_{co}[n]$ and $x_{cd}[n]$ represent even and odd parts of a square | | iv. $x_1[n] = 3 \sin(1.3 \pi n) - 4 \cos(0.3 \pi n + 0.45 \pi)$ v. $x_2[n] = 5 \sin(1.25 \pi n + 0.65 \pi) + 4 \sin(0.8 \pi n) - \cos(0.8 \pi n)$ | iii. $x_3[n] = 2\cos(1.1\pi n - 0.5\pi) + 2\sin(0.7\pi n)$ | i. $x_1[n] = e^{-j0.4\pi n}$ | 11 Determine the fundamental period of following periodic sequences |