

END-SEMESTER EXAMINATION (SUPPLEMENTARY) FEBRUARY-2019

EC-409 Computer Vision

Time: 3:00 Hours

Max. Marks: 50

Note: \*Q1 is compulsory.  
\*\*Answer any 08 questions out of remaining 10 questions i.e. Q2 to Q11.  
\*\*\*Assume suitable missing data, if any.

1. Answer all the following Compulsory questions:

- [a] Explain the projection matrix. [3]
- [b] Define the epipole, epipolar plane and epipolar line. [3]
- [c] Explain the camera matrices. [2]
- [d] Determine the skew-symmetric matrix from any two 3x1 vectors. [2]

2. The first and second cameras are specified by camera projection matrices,  $P$  and  $P'$ . The ray formed by two points,  $x$  (scene co-ordinate) and  $X$  (image co-ordinate) corresponding to first camera,  $Px = X$  is projected onto second image plane at second camera centre,  $P'C'$  and epipole,  $P'C$ , forming the epipolar line,  $l' = FX$ , by joining these two points, where  $F$  is a Fundamental matrix. Considering the above, derive the expression of  $F$ .

[5]

3. Perform the histogram equalization for the following distribution of gray levels in the image:

[5]

Gray levels	0	1	2	3	4	5	6	7
No of pixels	790	1023	850	656	329	245	122	81

4. Explain the Harris corner detector and derive the conditions for which edges and corners are located in the image. [5]

5. Scale Invariant Feature Transform (SIFT) is an algorithm used to detect and describe the local features in the images. Explain the main stages of computation of local features. [5]

6. Explain the optical-flow detection method for the solution of over-determined system of equations of local image flow vectors. [5]

7. An equation of the line in 3D space is given by  $\frac{x-x_1}{l} = \frac{y-y_1}{m} = \frac{z-z_1}{n} = \lambda$ . Project this 3D line into two image planes whose centers of projections are situated at  $(0,0,0)$  and  $(x_d, y_d, z_d)$ . Let the focal lengths of both the cameras are ' $f_1$ ' and ' $f_2$ '. Obtain the equations of lines  $L_1$  and  $L_2$  in both the image planes. [5]

8. Consider the problem of image blurring in camera caused by the accelerated motion along x and y direction. The image in camera is at rest at  $t=0$  and undergoes the accelerated motion,  $x_0(t) = \frac{at}{T}$  and  $y_0(t) = \frac{bt}{T}$  along x- and y-direction for a time  $T$  where  $a$  and  $b$  are constants. Consider the exposure time of camera as  $T$ . Find out the blurring function. Shutter opening and closing time of camera are negligible. [5]

9. Explain the operation of particle filter relating the prediction and measurements of states. [5]

- 142 -

10. Explain the wavelet series expansions along with the determination of scaling and detail coefficients. [5]
11. Find the equivalent filter,  $H(u, v)$  that implements the spatial operation performed by the Laplacian mask in the frequency domain. [5]

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