

(b) An object is standing on a plane whose slope varies with constant velocity ω . After t seconds its position is

[4]

$$s(\omega, t) = \frac{g}{2\omega^2} [\sinh(\omega t) - \sin(\omega t)]$$

where $g = 9.8 \text{ m/s}^2$ denotes the gravity acceleration. Write a function script which takes in the values s and t and returns the value of ω using the *bisection method* with a tolerance of 10^{-5} . [given that $\omega_1 \leq \omega \leq \omega_2$]

6. (a) The motion of a damped spring-mass system is described by the following ordinary differential equation:

[4]

$$m \frac{d^2 x}{dt^2} + c \frac{dx}{dt} + kx = 0$$

where x = displacement from the equilibrium position (m), t = time (s), $m = 20 \text{ kg}$ mass, and c = the damping coefficient (N.s/m). The damping coefficient c takes on three values of 5 (underdamped), 40 (critically damped), and 200 (over damped). The spring constant $k = 20 \text{ N/m}$. The initial velocity is zero and initial displacement $x = 1 \text{ m}$. Solve this equation over the time period $0 \leq t \leq 15 \text{ s}$. Plot the displacement versus time for each of the three values of the damping coefficient on the same plot with proper labeling.

(b) Write a Matlab program which executes the motion of small circle of radius (r) on the circumference of the circle of radius (R). [4]

Total No. of Pages: 4

THIRD SEMESTER

SUPPLYMENTARY EXAMINATION

(FEB.-2019)

EP-201 INTRODUCTION TO COMPUTING (NEW SCHEME)

Time: 3 Hours

Max. Marks: 40

Roll No.

B.Tech.[EP]

Note: Question No. 1. is compulsory. Attempt any four from rest. Use comment line in each program to write the script/function file name.

1. Following commands are written and saved in a Matlab script file. What will the output of this file in the command window? [8]

```
A=[2 4 7 8; 10 12 18 21; 3 5 7 9; 1 2 3 4];
B=reshape(A,8,2)
C=A.^2
floor([5.6 -3.5])
x=[ 11 15 17 20 ]; y=[ 10 12 40 55 ];
z=x.*y
```

2. (a) Explain the following commands with suitable examples [4]

- i. save
- ii. holdon
- iii. figure
- iv. mesh

(b) The capacitance of two parallel conductors of length L and radius r , separated by a distance d in air, is given by [4]

$$C = \frac{\pi \epsilon L}{\ln \left(\frac{d+r}{r} \right)}$$

where ϵ is the permittivity of air ($\epsilon = 8.854 \times 10^{-12} \text{ F/m}$).

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Write a script file that accepts user input for d , L , and r and computes and display the value of capacitance C with proper message including unit.

3. (a) The following table shows the time versus pressure variation reading from vacuum pump. Fit a curve, $P(t) = P_0 e^{-t/\tau}$, through the data and determine the unknown constants P_0 and τ . [4]

T	0	0.5	1.0	5.0	10.0	20.0
P	760	625	528	85	14	0.16

(b) Write a function file to print the first N terms of the famous Fibonacci series of thirteenth century in reverse order [4]
 Fibonacci series: 1, 1, 2, 3, 5, 8, 13, 21,

4. (a) The period of a pendulum confined in the vertical plane is [4]

$$T = 4 \sqrt{\frac{l}{2g}} \int_0^{\theta_0} \frac{d\theta}{\sqrt{\cos\theta - \cos\theta_0}}$$

Where $\theta_0 < \pi$ is the maximum angle between the pendulum and the downward vertical, l is the length of the pendulum, and g is the gravitational acceleration. Evaluate the integral numerically using *trapezoidal method* for $\theta_0 = \frac{\pi}{16}$ and compare your result with small angle approximation $T \approx 2\pi \sqrt{\frac{l}{g}}$. (Do not use inbuilt function)

(b) Write a Matlab code to print the following in the command window [4]
 1+1=1
 1+2=3
 1+4=5
 1+5=6
 End of inner loop

2+1=3
 2+2=4
 2+4=6
 2+5=7
 End of inner loop
 3+1=4
 3+2=5
 3+4=7
 3+5=8
 End of inner loop
 End of outer loop

5. (a) In nuclear physics, the semi-empirical mass formula used to approximate the binding energy of an atomic nucleus is given by [4]

$$\frac{BE}{A} = a_v - a_s \frac{1}{A^{1/3}} - a_c \frac{Z^2}{A^2} - a_p \frac{(N-Z)^2}{A} + a_r \frac{\delta}{A^{3/2}}$$

where $N = A - Z$, $a_v = 14.1$, $a_s = 13.0$, $a_c = 0.595$, $a_p = 19.0$, $a_r = 33.5$

$$\delta = \begin{cases} 1 & \text{if } N \text{ is even and } Z \text{ is even} \\ 0 & \text{if } N \text{ is even and } Z \text{ is odd} \\ 0 & \text{if } N \text{ is odd and } Z \text{ is even} \\ -1 & \text{if } N \text{ is odd and } Z \text{ is odd} \end{cases}$$

and for fixed mass number (A), the most stable nuclei are those having

$$Z = \frac{1}{2} A \frac{1}{1 + \frac{a_c}{4a_p}}$$

The five terms in the right hand side of the first equation stands for volume, surface, Coulomb, asymmetry and pairing terms respectively. A , N and Z are mass, proton and neutron numbers respectively and hence they are integers. For $2 \leq A \leq 300$, plot BE/A versus A along with the five terms given in the first equations. Also find for which combination of N and Z , the BE/A is maximum.